Fiscal Policy Can Reduce Unemployment: But There is a Better Alternative By Roger Farmer

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A simple model with a competitive labor market

$$H_t = 1$$

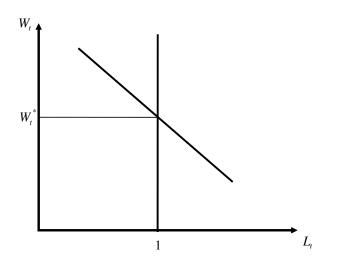
$$(1 - \alpha) K_t^{\alpha} L_t^{-\alpha} = W_t$$

$$H_t = L_t$$

$$Y_t = K_t^{\alpha} L_t^{1-\alpha} \qquad \qquad \frac{1}{C_t} = \beta R_t \frac{1}{C_{t+1}}$$

$$Y_t = C_t + G_t$$

The labor market



• Firms hire workers for two purposes: production and recruiting

$$L_t = X_t + V_t$$
$$= X_t + \frac{1}{q_t} L_t$$

• Rearranging yields

$$X_t = \left(1 - rac{1}{q_t}
ight) L_t$$

• Substituting the last equation into the production function yields

$$Y_t = \mathcal{K}^lpha_t \left(1 - rac{1}{q_t}
ight)^{1-lpha} \mathcal{L}^{1-lpha}_t$$

$$H_t = 1$$

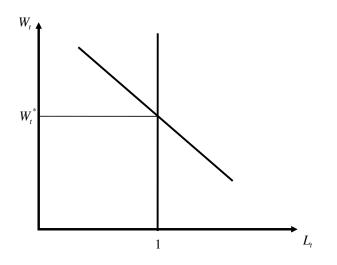
$$(1 - \alpha) K_t^{\alpha} \left(1 - \frac{1}{q_t}\right)^{1 - \alpha} L_t^{-\alpha} = W_t$$

$$U_t = H_t - L_t$$

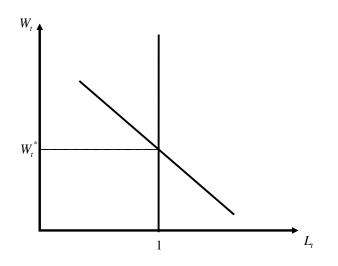
$$Y_t = K_t^{\alpha} \left(1 - \frac{1}{q_t}\right)^{1 - \alpha} L_t^{1 - \alpha} \qquad \frac{1}{C_t} = \beta R_t \frac{1}{C_{t+1}}$$

$$Y_t = C_t + G_t$$

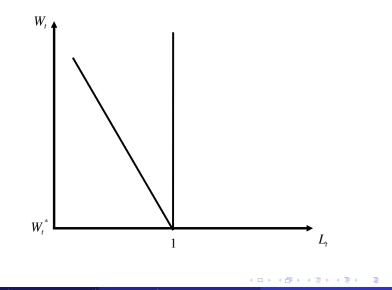
The old labor market



The new labor market



The new labor market



- Why doesn't the wage adjust to the market clearing wage?
- Suggestion: Specify a game that market participants play with the property that the market clearing wage is not the unique equilibrium outcome.

- The model can match (almost) any output sequence.
- Therefore, one cannot reject the model by looking at output data.
- However, one could in principle reject the model by looking at the comovement of the real wage rate and output.

- "Fiscal Policy Can Reduce Unemployment"
- In the model, the set of equilibrium output levels is independent of fiscal policy.
- Thus, in the model, any statement about the effects of fiscal policy on output/unemployment has to be based on a particular equilibrium selection.

- "But There is a Better Alternative"
- There are many policies that have the property that the efficient allocation is the unique equilibrium outcome.

$$H_t = 1$$

$$(1 - \alpha) K_t^{\alpha} \left(1 - \frac{1}{q_t}\right)^{1 - \alpha} L_t^{-\alpha} = W_t$$

$$U_t = H_t - L_t$$

$$P_k = \frac{MPK}{R - 1}$$

$$Y_t = K_t^{\alpha} \left(1 - \frac{1}{q_t}\right)^{1 - \alpha} L_t^{1 - \alpha}$$

$$\frac{1}{C_t} = \beta R_t \frac{1}{C_{t+1}}$$

$$Y_t = C_t + G_t$$

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